

The Role of the Net Worth of Banks in the Propagation of Shocks

Preliminary

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Motivation

- A large literature quantitatively studies the role of financial factors in business cycle dynamics
- Asymmetric information between financial intermediaries and firms
 - ◇ eg., Bernanke et al., 1999; Carlstrom & Fuerst, 1997
- Limited enforcement of contracts
 - ◇ eg., Kiyotaki & Moore, 1997, Cooley, Marimon & Quadrini, 2004
- **Key Feature:** the supply of funds of financial intermediaries unaffected by their balance sheet

Evidence

- Peek & Rosengren (1997, 2000): a 1% decrease in capital ratio:
 - ◇ reduces bank lending by 6%
 - ◇ reduces investment in real estate sector
- Van den Heuvel, 2002
 - ◇ Output growth is more sensitive to shocks in US states with low levels of bank capital
- Kashyap & Stein, 2000; Kishan & Opiela, 2000
 - ◇ Liquidity, net worth affects lending by banks

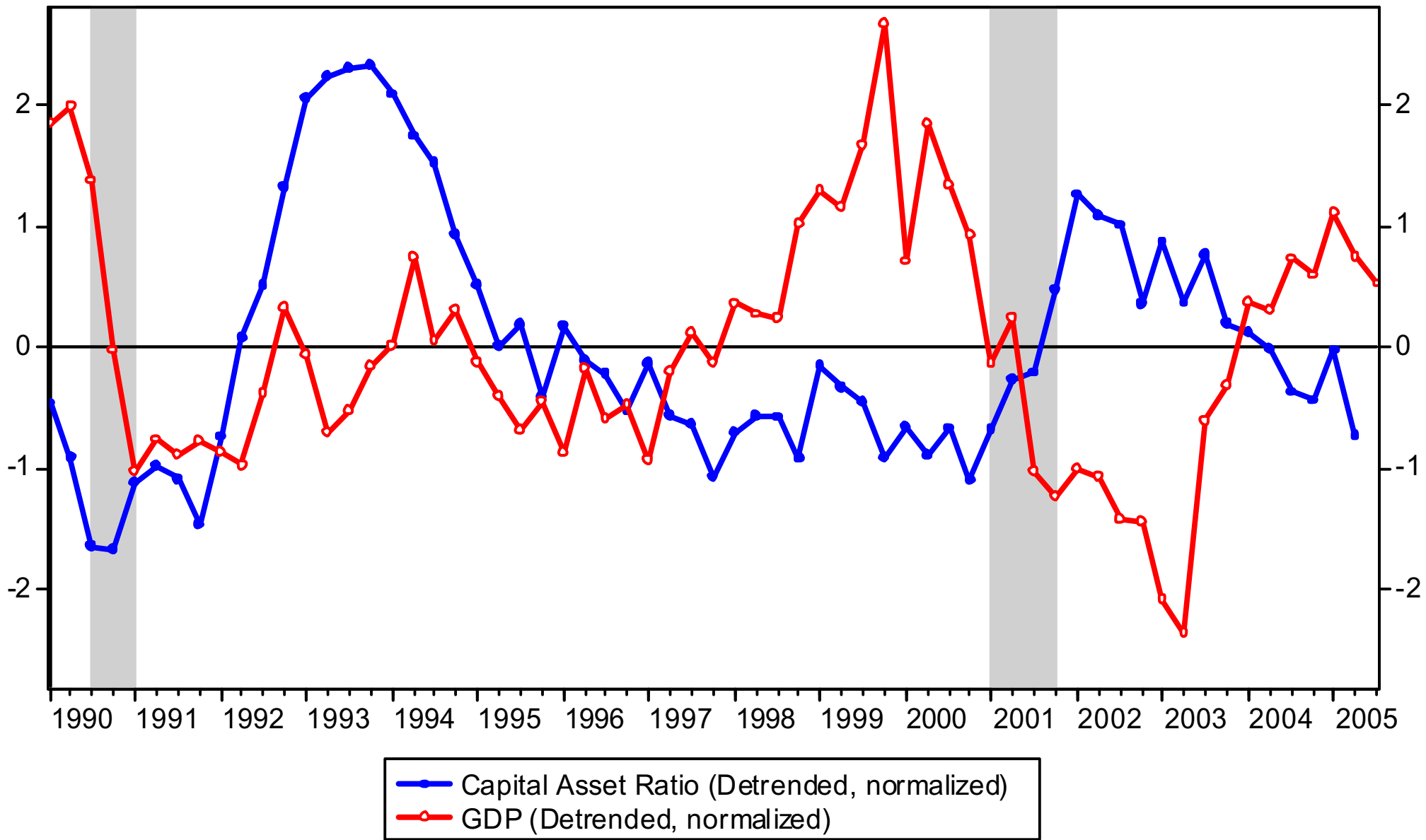
Our interpretation of the evidence

- Banks face market imperfections in attracting loanable funds
- These market imperfections may be what motivates the holding of net worth
- Important to take this into account when building models of banking and business cycles

Ratio of Bank Net Worth over Assets

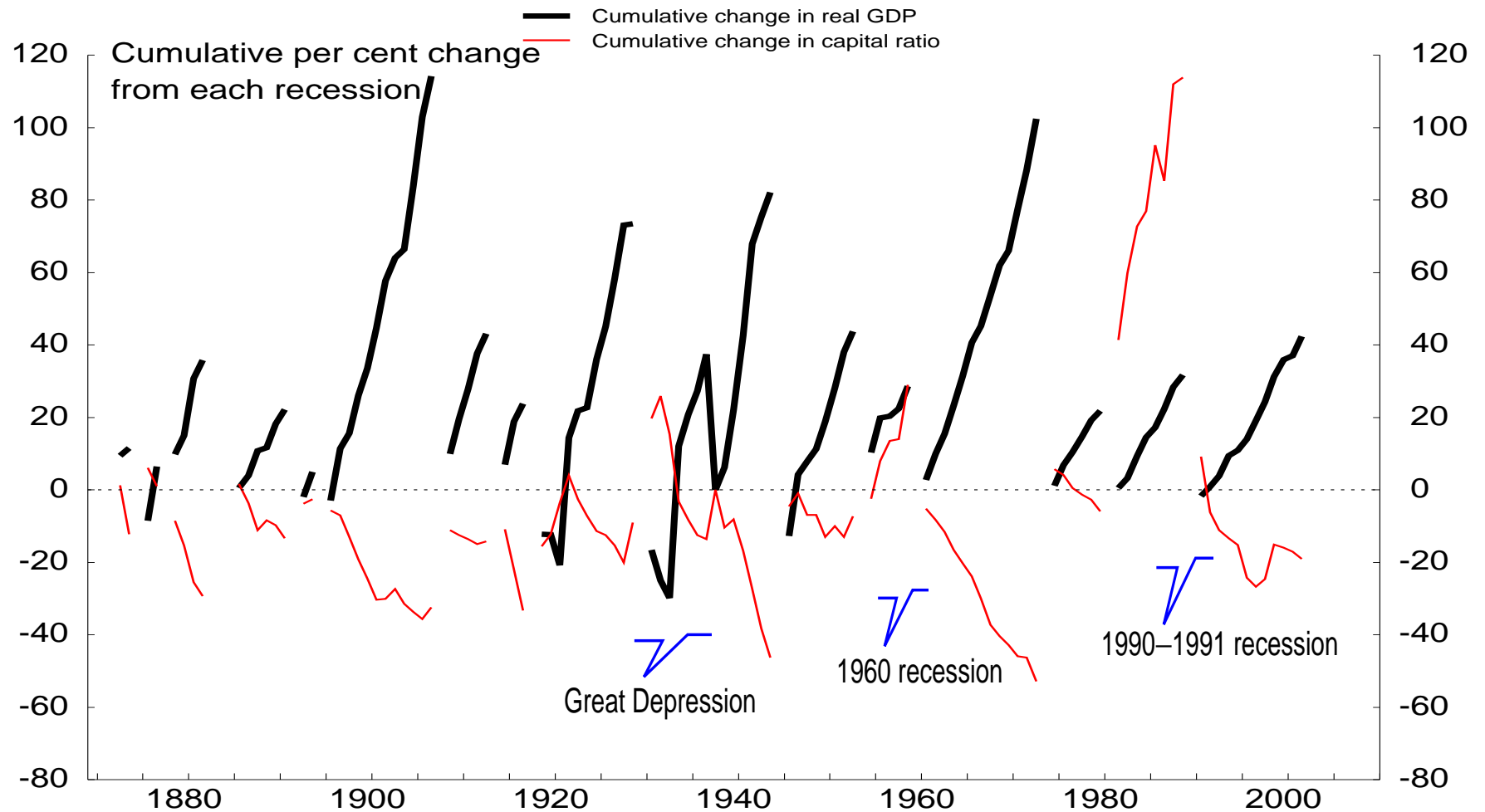
- Key banking sector indicator; subject of many policy discussions
- Business cycle fact: countercyclical

Net Worth to Asset Ratio



Net Worth to Asset Ratio: Canada

Figure 3: Economic booms and the capital ratio
(annual, 1870 to 2002)



Sources: Bank of Canada (1950-2004), Leacy (1983), Statistics Canada (2004), Urquhart (1986), and authors' calculations

Cyclical Properties of the Net Worth to Asset Ratio: 1990:1 - 2005:2

Variable	<i>Cross-Correlation of Ratio with:</i>					
	$\frac{\sigma(X)}{\sigma(GDP)}$	X_{t-2}	X_{t-1}	X_t	X_{t+1}	X_{t+2}
Net Worth to Asset Ratio	0.34	0.79	0.90	1.00	0.90	0.79
Investment	4.26	-0.45	-0.42	-0.36	-0.25	-0.17
GDP	1.00	-0.36	-0.31	-0.23	-0.12	-0.07
Bank Loans (C & I)	4.52	-0.52	-0.62	-0.70	-0.69	-0.67

Objective

- A framework with a double moral hazard problem:
 - ◆ entrepreneurs and bankers
 - ◆ bankers and households
- This framework is embedded into a quantitative model of aggregate fluctuations
- The model is used address two questions
 1. are movements in capital-asset ratios consistent with the evidence?
 2. how does bank net worth affect the transmission of shocks?

Findings

- The model replicates cyclical features in the ratio of net worth to asset
 1. countercyclicality
 2. volatility
 3. autocorrelation
- The model replicates persistence in output

Policy Implications

- Debate: Market Forces should play a bigger role in regulating banks
- Our Model: Net Worth to Asset Ratio is market determined
- Can be brought to bear on policy discussions: how should bank net worth to asset ratio react to shocks?

Literature

- Carlstrom & Fuerst (1997, 1998, 2001); Bernanke et al. (1999)
 - ◆ One source of moral hazard, no bank net worth

- Holmstrom & Tirole (1997), Chen (2001), Meh & Moran (2003), Sunirand (2003), Aikman & Paustian (2004)
 - ◆ Not quantitative

- Van den Heuvel (2001)
 - ◆ Movements in Bank Capital regulatory-driven

Rest of the Talk

- Financial Contract
- Rest of the Model
- Findings
- Conclusion and Future Work

Economic Environment

- Three types of agents: households, bankers and entrepreneurs
 - ◆ households are risk averse, bankers and entrepreneurs risk neutral
 - ◆ bankers are endowed with a monitoring technology
 - ◆ entrepreneurs can produce capital goods
- Consumption Good:

$$F(K_t, N_t) = z_t K_t^\theta H_t^{1-\theta}$$

$$z_{t+1} = \rho_z z_t + \epsilon_{t+1}$$

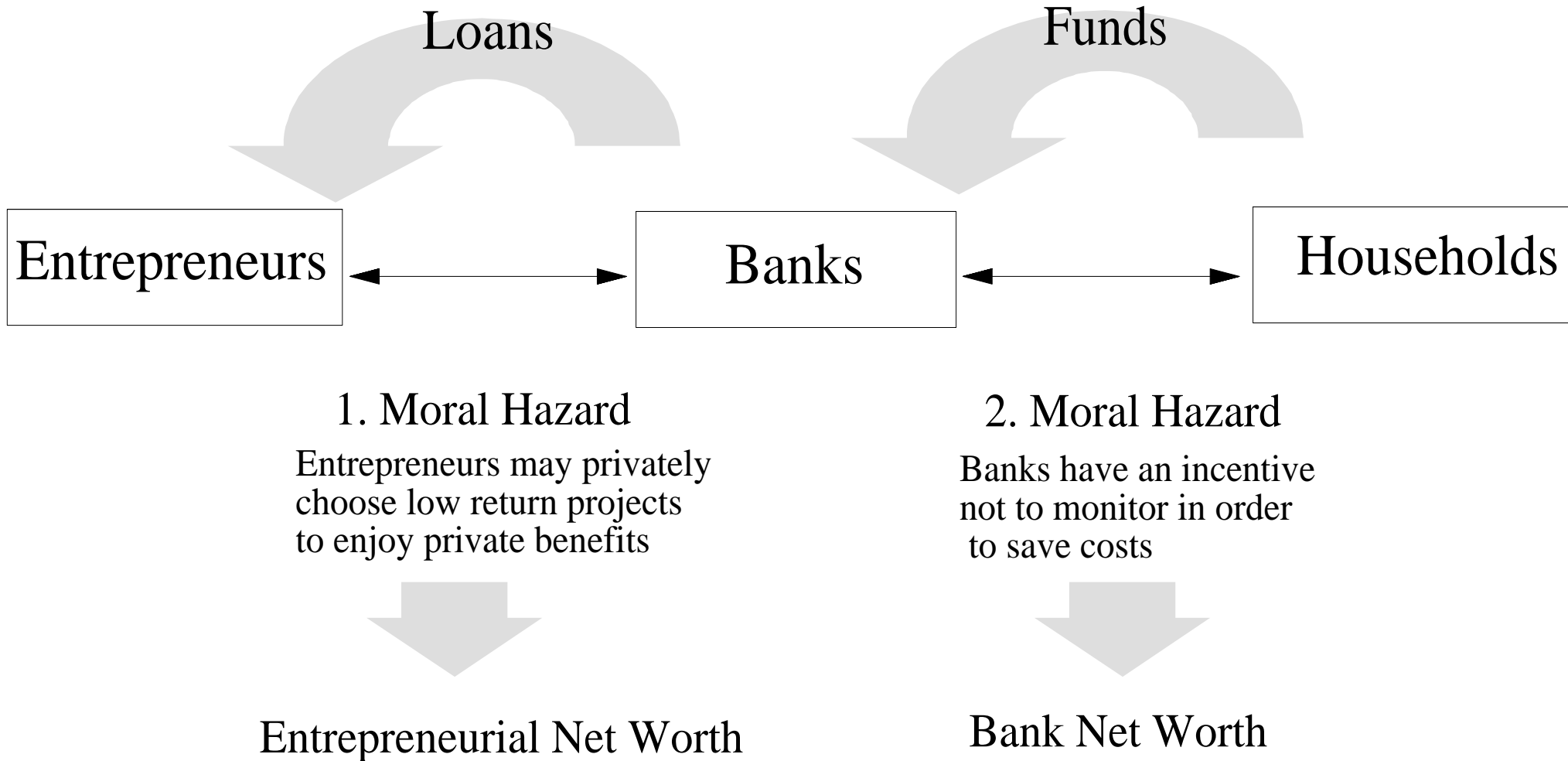
Capital Good Sector Production

- Capital Good: produced by entrepreneurs

$$f(i_t) = \tilde{R} i_t$$

$$\tilde{R} = \{0, R\}$$

Two Sources of Moral Hazard



Households

- Optimization Problem:

$$\max_{c_t^h, h_t, x_t, k_{t+1}^h} E_0 \sum_{t=0}^{\infty} \beta^t \log(c_t^h) + \psi(1 - h_t),$$

- *with respect to*

$$c_t^h + q_t x_t \leq r_t k_t^h + w_t h_t$$

$$k_{t+1}^h = (1 - \delta)k_t^h + x_t,$$

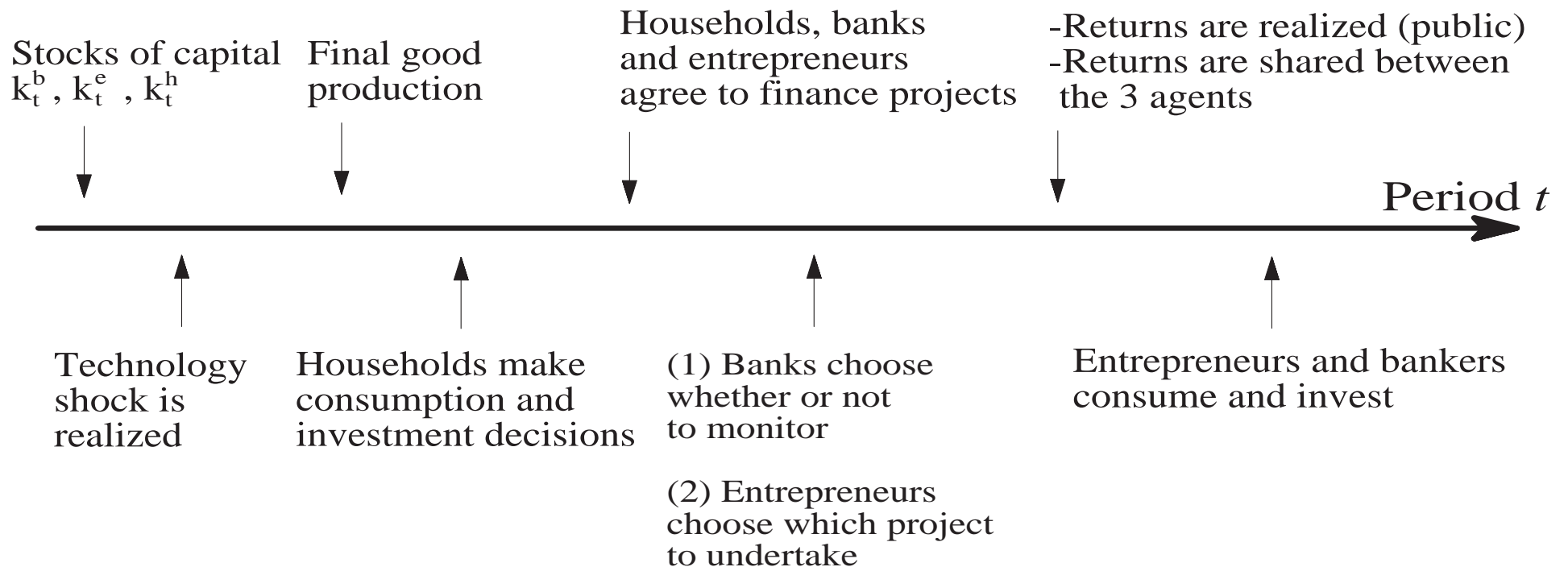
Investment Projects

- Three types of projects available to the entrepreneur:

Project	Good	Low Priv. Ben.	High Priv. Ben.
Private benefits	0	bi_t	Bi_t
Prob. of success	α^g	α^b	α^b

- Good project is socially desirable
- Bank monitoring is private and costly (μi_t)
- The projects financed by an individual bank are perfectly correlated

Timing of Events Within a Period



Financial Contract

- Consider one-period contracts that lead entrepreneurs to choose the good project
- One optimal contract will have the following structure:
 - ◆ the entrepreneur invests all his net worth
 - ◆ if success, R is distributed among the entrepreneur, the banker and the households: $R = R_t^e + R_t^b + R_t^h$
 - ◆ if failure, neither party is paid anything
- objective of the contract:
Choose project size and payment shares to maximize expected payoff to entrepreneurs subject to five constraints

Financial Contract, continued

- Incentive constraints of bankers

$$q_t \alpha^g R_t^b i_t - \mu i_t \geq q_t \alpha^b R_t^b i_t$$

- Incentive constraints of entrepreneurs

$$q_t \alpha^g R_t^e i_t \geq q_t \alpha^b R_t^e i_t + q_t b i_t$$

- Participation constraint of bankers

$$q_t \alpha^g R_t^b i_t \geq R_t^a a_t$$

- Participation constraint of households

$$q_t \alpha^g R_t^h i_t \geq q_t x_t$$

- Resource constraint

$$a_t + (q_t x_t) + n_t = (1 + \mu) i_t$$

Upshot of the Contract

■ Shares:

$$R_t^e = \frac{b}{\Delta\alpha}; \quad R_t^b = \frac{\mu}{q_t\Delta\alpha}; \quad R_t^h = R - \frac{b}{\Delta\alpha} - \frac{\mu}{q_t\Delta\alpha}$$

■ Project Size

$$i_t = \underbrace{(1/G_t)}_{\text{'entrepreneurial leverage'}} \cdot \underbrace{(a_t + n_t)}_{\text{internal funds}}$$

where

$$G_t \equiv 1 + \mu - q_t\alpha^g R_t^h$$

Bankers and Entrepreneurs

- Discount future more than households

- Bank net worth and Entrepreneurial net worth:

$$a_t = [r_t + q_t(1 - \delta)] k_t^b$$

$$n_t = [r_t + q_t(1 - \delta)] k_t^e$$

- Budget Constraints

$$c_t^b + q_t k_{t+1}^b = R_t^b i_t$$

$$c_t^e + q_t k_{t+1}^e = R_t^e i_t$$

Bankers and Entrepreneurs

■ Choice of next period's assets:

■ Bankers:

$$q_t = \tau_b \beta E_t \left[(r_{t+1} + q_{t+1}(1 - \delta)) \alpha^g \frac{R_{t+1}^b}{G_{t+1}} \right]$$

■ Entrepreneurs:

$$q_t = \tau_e \beta E_t \left[(r_{t+1} + q_{t+1}(1 - \delta)) \alpha^g \frac{R_{t+1}^e}{G_{t+1}} \right]$$

Aggregation

- Aggregate Investment and Net Worth:

$$I_t = \frac{N_t + A_t}{G_t};$$

- Aggregate Net Worth:

$$A_t = [r_t + q_t(1 - \delta)] K_t^b (I_{t-1})$$

$$N_t = [r_t + q_t(1 - \delta)] K_t^e (I_{t-1})$$

Market Clearing Conditions

- Labor markets:

$$H_t = \eta^h h_t$$

- Final goods market:

$$Y_t = C_t^h + C_t^e + C_t^b + (1 + \mu_t)I_t$$

- Capital goods market:

$$K_{t+1} = (1 - \delta) K_t + \alpha^g R I_t$$

Calibration

Preferences and Consumption Good Production

β	ψ	δ	θ	ρ_z
0.99	3.0	0.02	0.4	0.95

Investment Good Production

α^g	R	α^b	μ	b	τ_e	τ_b
0.99	1.01	0.69	0.07	0.25	0.97	0.98

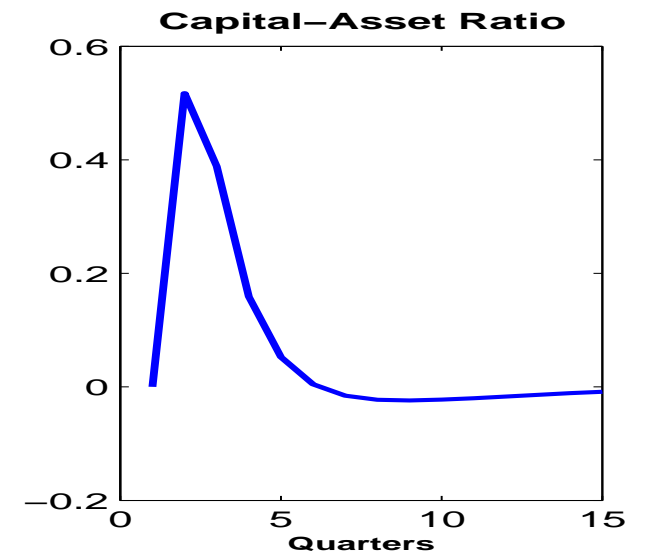
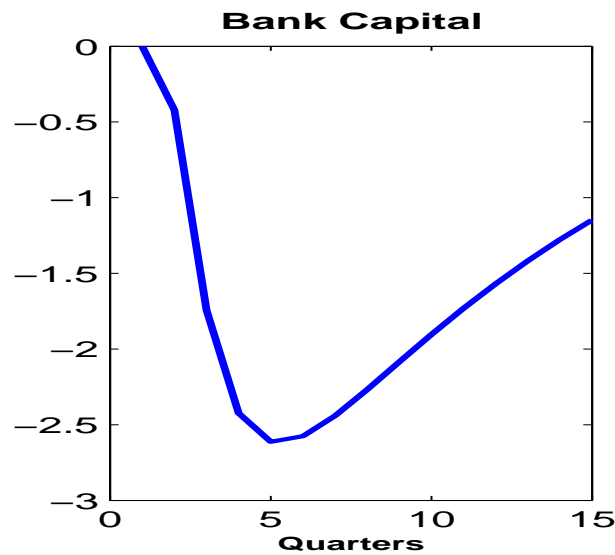
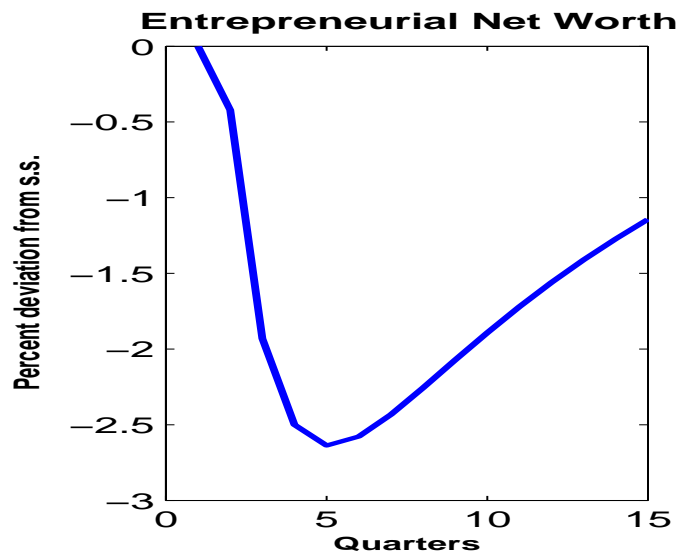
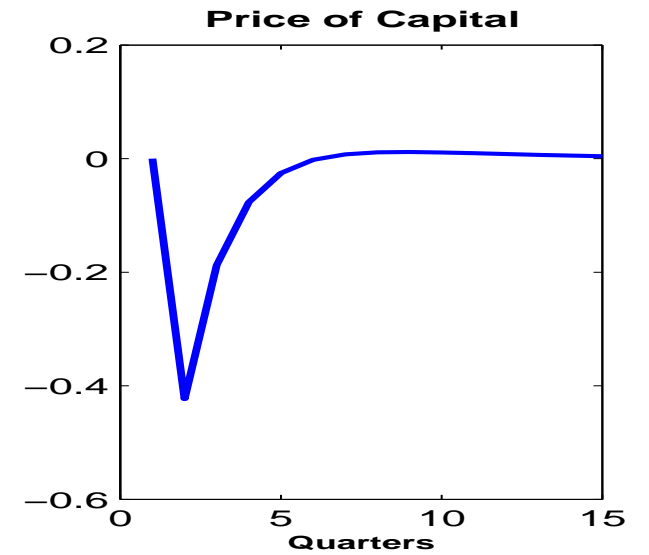
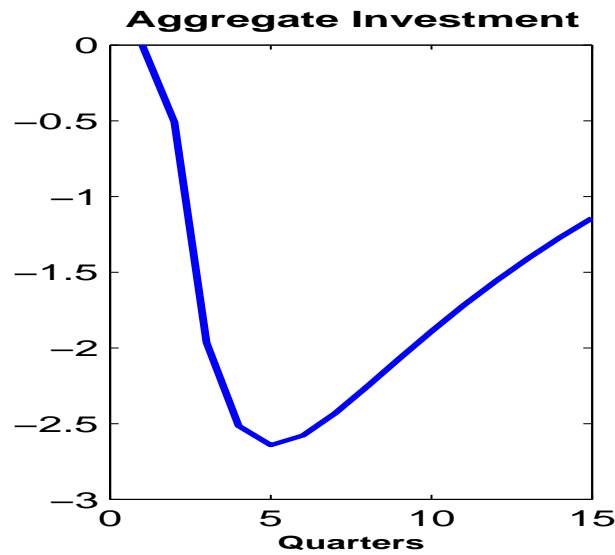
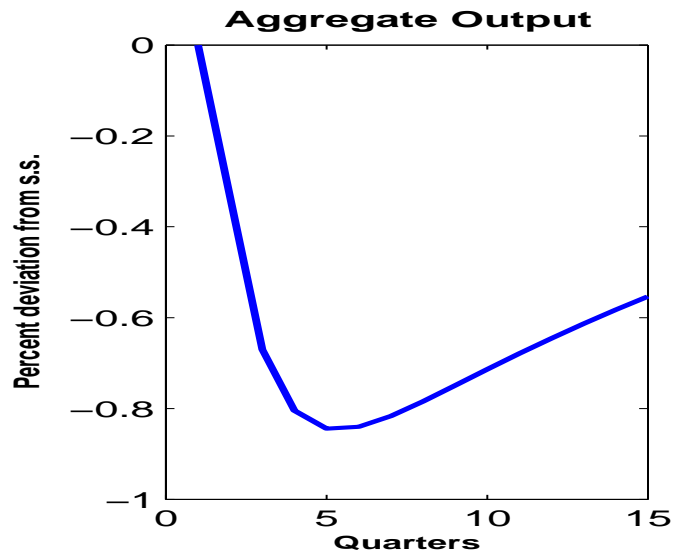
Resulting Steady-State Characteristics

ROE	CA	IC	I/Y	Share
15%	13%	4%	0.22	0.005

Preview of Results

- Shock to technology (consumption good production)
- Model Simulation (only technology shocks)

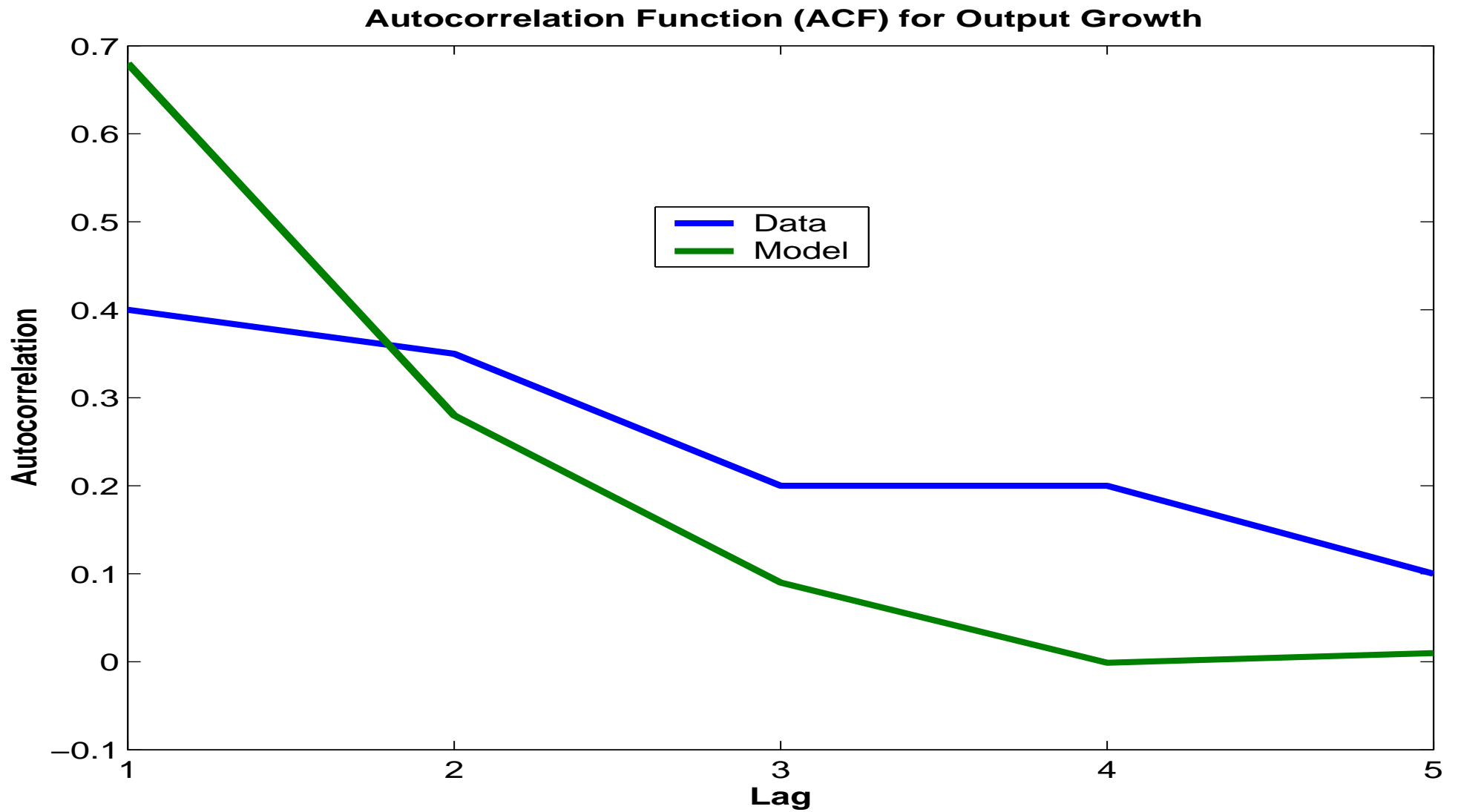
Negative Technology Shock



Cyclical Features: Data and Model

Variable	$\frac{\sigma(X)}{\sigma(GDP)}$	<i>Cross-Correlation of Net Worth to Asset with:</i>				
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<i>Panel A: Data</i>						
Net Worth to Asset Ratio	0.34	0.79	0.90	1.00	0.90	0.79
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<i>Panel A: Model</i>						
Net Worth to Asset Ratio	0.21	0.24	0.61	1.00	0.61	0.24
Investment	2.45	0.03	-0.06	-0.24	-0.43	-0.50
GDP	1.00	-0.02	-0.11	-0.27	-0.38	-0.42
Bank Loans	2.49	0.01	-0.10	-0.30	-0.45	-0.50

ACF for Output Growth: Data and Model



Conclusion

- We present a quantitative model of aggregate fluctuations in which the net worth of banks mitigates an agency problem between banks and depositors
- The cyclical features of the net worth to asset ratio of banks generated by the model are consistent with those observed in data
- The presence of bank capital affects the transmission of shocks
 - ◆ the model exhibits significant persistence

Future Work

- Interaction between market and regulatory discipline on banks
- Heterogeneity in bank size and capital-asset ratio