

“Making Monetary Policy by Committee”

by Alan Blinder

Discussion by

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Motivation

- Most central banks use a committee structure to formulate policy (79 out of 88 central banks in Fry *et al.*, 2000)
- Understanding how committees work is crucial to understand monetary policy making

Outline of the Paper

- Discusses experimental evidence that committees are superior to individuals
- Carefully documents institutional heterogeneity in monetary policy committees

Heterogeneity

- Monetary policy committees differ in
 - 1) Degree of consensus
 - 2) Role of the chairman
 - 3) Voting procedures
 - 4) Size
 - 5) Composition
 - 6) Appointment procedure

- From the normative perspective, this observation begs the question of what is the optimal committee design

- For example, recent research by Erhart and Vasquez-Paz (2007) and Beger and Nitsch (2008) estimate the optimal committee size

Committees vs. Individual Decision Making

- Experiments by Blinder and Morgan (2005 and 2007) and Lombardelli, Proudman and Talbot (2005) present evidence that committees outperform individual decision makers
- In this discussion, I will argue that committee decision making also explains data on policy decisions much better (I will draw on Riboni and Ruge-Murcia, 2007)

The Economy

- Private sector is described by

$$\pi_{t+1} = \pi_t + \alpha_1 y_t + \varepsilon_{t+1}$$

$$y_{t+1} = \beta_1 y_t - \beta_2 (i_t - \pi_t) + \eta_{t+1}$$

where

$$\varepsilon_t = \gamma u_{t-1} + u_t$$

$$\eta_t = \zeta v_{t-1} + v_t$$

- Innovations are Normal white noises

Case 1: A Single Central Banker

- Selects nominal interest rate
- Utility function is

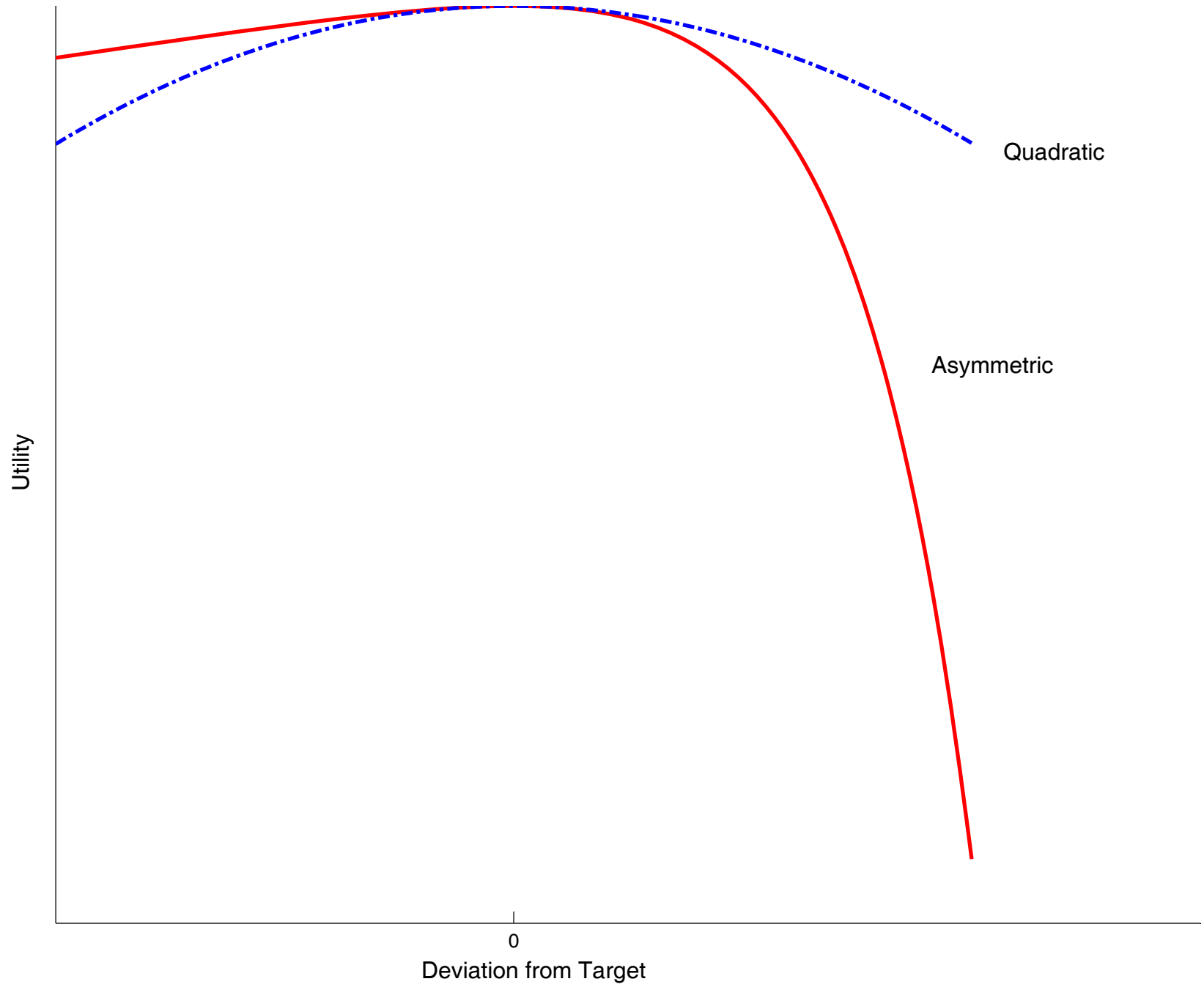
$$E_{\tau} \left(\sum_{t=\tau}^{\infty} \delta^{\tau-t} L(\pi_t) \right)$$

where

$$L(\pi_t) = \frac{-\exp(\mu(\pi_t - \pi^*)) + \mu(\pi_t - \pi^*) + 1}{\mu^2}$$

- See Figure 1

Figure 1: Instantaneous Utility Function



Policy Outcome

Utility maximization subject to AD and Phillips curves delivers a Taylor rule

$$i_t = a + b\pi_t + cy_t + \zeta_t$$

where

$$a = -\left(\frac{1}{\alpha_1\beta_2}\right)\pi^* + \left(\frac{\mu}{2\alpha_1\beta_2}\right)\sigma_\pi^2$$

$$b = 1 + \frac{1}{\alpha_1\beta_2}, \quad c = \frac{1 + \beta_1}{\beta_2}$$

$$\zeta_t = \left(\frac{1}{\alpha_1\beta_2}\right)(\gamma u_t + \varsigma v_t)$$

Implications

- Linear relation between interest rates and fundamentals
- No endogenous interest rate autocorrelation
- No status quo bias and lots of policy changes

Estimation

- Since

$$i_t = a + b\pi_t + cy_t + \zeta_t,$$

it follows that

$$Pr(i_t|i_{t-1}, \pi_t, y_t) = \frac{1}{\sigma} \phi\left(\frac{i_t - a - b\pi_t - cy_t}{\sigma}\right),$$

- Then, the log likelihood function is

$$L(\boldsymbol{\varphi}) = -T\sigma + \sum_{\forall i_t} \log \phi\left(\frac{i_t - a - b\pi_t - cy_t}{\sigma}\right),$$

where $\boldsymbol{\varphi} = \{a, b, c, \sigma\}$

Case 2: A Monetary Policy Committee

- Selects nominal interest rate in every meeting
- N members indexed by $j = 1, \dots, N$, where N is an odd integer
- The utility function of member j is

$$E_{\tau} \left(\sum_{t=\tau}^{\infty} \delta^{\tau-t} L_j(\pi_t) \right)$$

where

$$L_j(\pi_t) = \frac{-\exp(\mu_j(\pi_t - \pi^*)) + \mu_j(\pi_t - \pi^*) + 1}{\mu_j^2}$$

Policy Preferred by Member j

- Member j 's preferred policy is

$$i_{j,t}^* = a_j + b\pi_t + cy_t + \zeta_t$$

where

$$a_j = -\left(\frac{1}{\alpha_1\beta_2}\right)\pi^* + \left(\frac{\mu_j}{2\alpha_1\beta_2}\right)\sigma_\pi^2$$

$$b = 1 + \frac{1}{\alpha_1\beta_2}, \quad c = \frac{1 + \beta_1}{\beta_2}$$

$$\zeta_t = \left(\frac{1}{\alpha_1\beta_2}\right)(\gamma u_t + \varsigma v_t)$$

- Only the intercept is member-specific

How Members Resolve Difference of Opinion?

- Following a (consensus) protocol

First stage

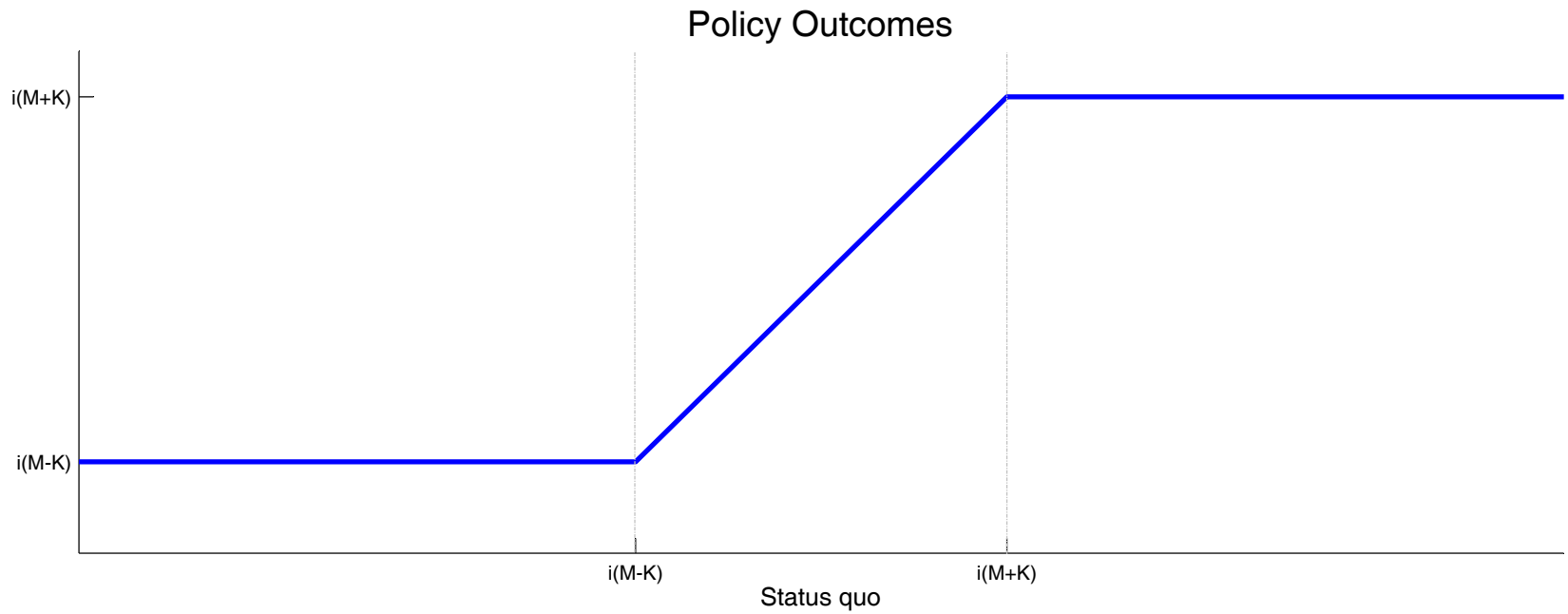
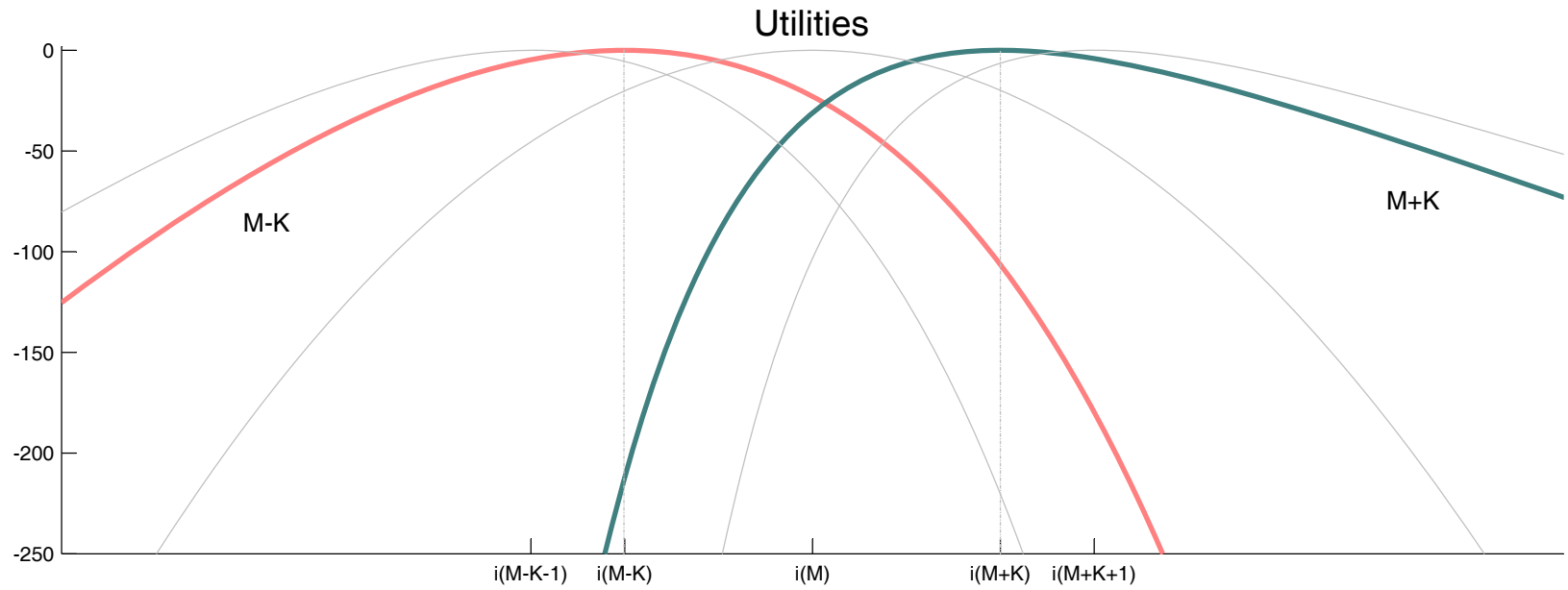
Members vote by simple majority rule whether to increase or a decrease the interest rate with respect to the status quo

Second stage

Members vote by super majority rule on successive ϵ increases (or decreases) until a proposal is defeated and the interest rate in the latest proposal is adopted

- See Figure 2

Consensus Model



Policy Outcome

The policy outcome is

$$i_t = \begin{cases} i_{M+K,t}^* & \text{if } i_{t-1} > i_{M+K,t}^*, \\ i_{t-1} & \text{if } i_{M-K,t}^* \leq i_{t-1} \leq i_{M+K,t}^*, \\ i_{M-K,t}^* & \text{if } i_{t-1} < i_{M-K,t}^*. \end{cases}$$

where

$$i_{M+K,t}^* = a_{M+K} + b\pi_t + cy_t + \zeta_t$$

and

$$i_{M-K,t}^* = a_{M-K} + b\pi_t + cy_t + \zeta_t$$

are the preferred policies of members $M + K$ and $M - K$

Implications

- Nonlinear relation between interest rates and fundamentals
- Endogenous inaction region
- Endogenous autocorrelation of the nominal interest rate
- Source: Friction in decision making process

Estimation

- Three regimes (cuts, no changes and increases)
- Perfect sample separation
- Then, the log likelihood function is

$$L(\boldsymbol{\theta}) = -(T_1 + T_3)\sigma + \sum_{i_t \in \Xi_1} \log \phi\left(\frac{i_t - a_{M+K} - b\pi_t - cy_t}{\sigma}\right) \\ + \sum_{i_t \in \Xi_2} \log(\Phi(z_{M-K,t}^*) - \Phi(z_{M+K,t}^*)) + \sum_{i_t \in \Xi_3} \log \phi\left(\frac{i_t - a_{M-K} - b\pi_t - cy_t}{\sigma}\right)$$

where $\boldsymbol{\theta} = \{a_{M+K}, a_{M-K}, b, c, \sigma\}$

Table 1. Bank of Canada

	Monetary Committee	Single Banker	Data
<i>A. Model Selection Criteria</i>			
AIC	127.53	133.64	
RMSE	0.506	0.850	
MAE	0.388	0.715	
<i>B. Quantitative Predictions</i>			
Autocorrelation	0.546	0.014	0.873
<i>Proportion of</i>			
Cuts	0.204	0.486	0.280
Increases	0.253	0.513	0.300
No changes	0.544	0	0.420

Model Fit Bank of Canada

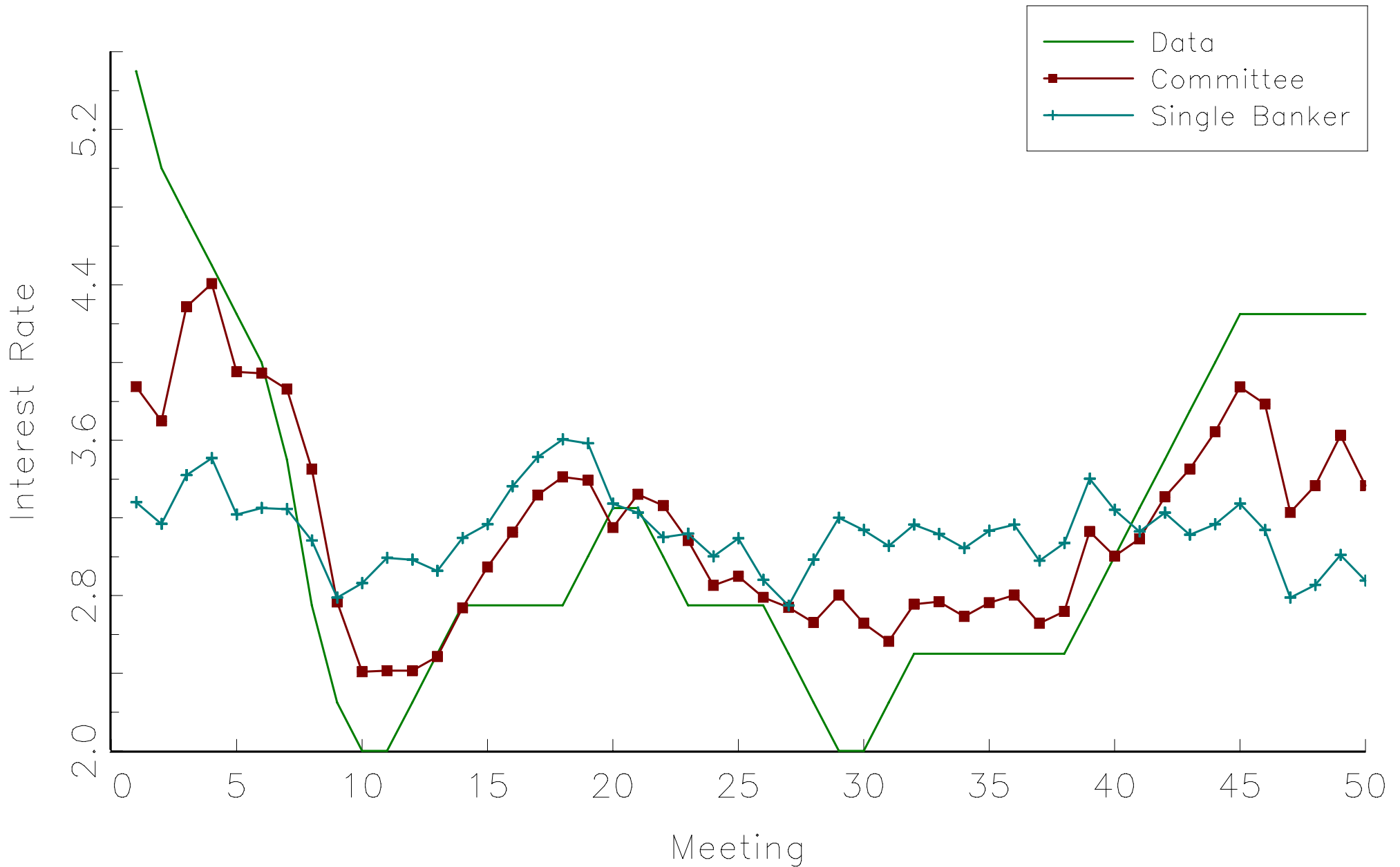


Table 2. Bank of England

	Monetary Committee	Single Banker	Data
<i>A. Model Selection Criteria</i>			
AIC	206.40	317.33	
RMSE	0.329	1.013	
MAE	0.251	0.885	
<i>B. Quantitative Predictions</i>			
Autocorrelation	0.766	0.179	0.977
<i>Proportion of</i>			
Cuts	0.113	0.492	0.111
Increases	0.135	0.508	0.157
No changes	0.752	0	0.731

Table 3. European Central Bank

	Monetary Committee	Single Banker	Data
<i>A. Model Selection Criteria</i>			
AIC	160.73	326.75	
RMSE	0.225	0.809	
MAE	0.138	0.678	
<i>B. Quantitative Predictions</i>			
Autocorrelation	0.865	0.248	0.988
<i>Proportion of</i>			
Cuts	0.076	0.504	0.106
Increases	0.056	0.496	0.061
No changes	0.867	0	0.833

Table 4. Swedish Riksbank

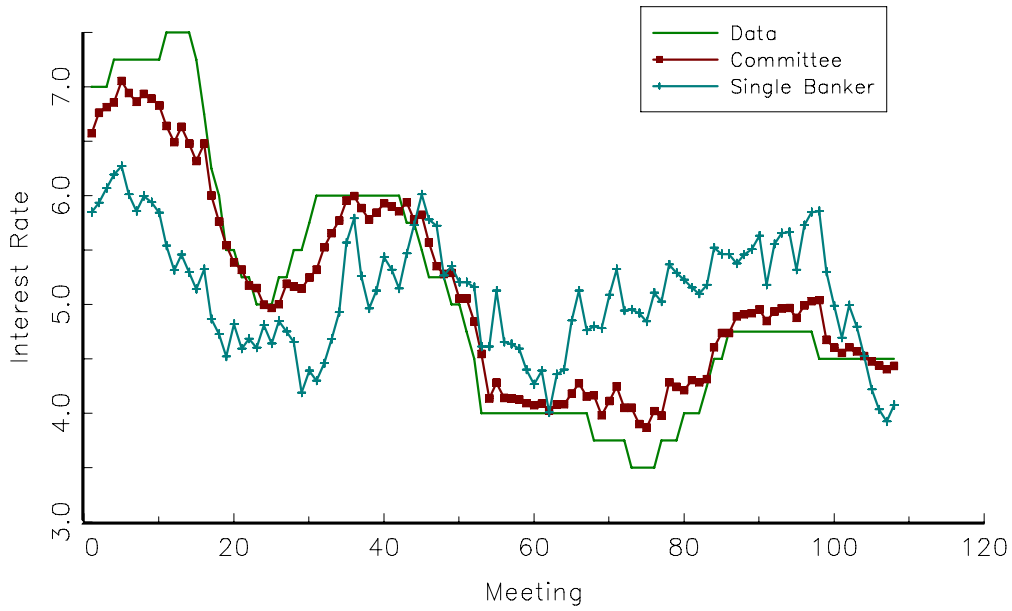
	Monetary Committee	Single Banker	Data
<i>A. Model Selection Criteria</i>			
AIC	136.48	149.60	
RMSE	0.255	0.593	
MAE	0.180	0.457	
<i>B. Quantitative Predictions</i>			
Autocorrelation	0.821	0.369	0.972
<i>Proportion of</i>			
Cuts	0.155	0.502	0.177
Increases	0.148	0.498	0.139
No changes	0.697	0	0.684

Table 5. U.S. Federal Reserve

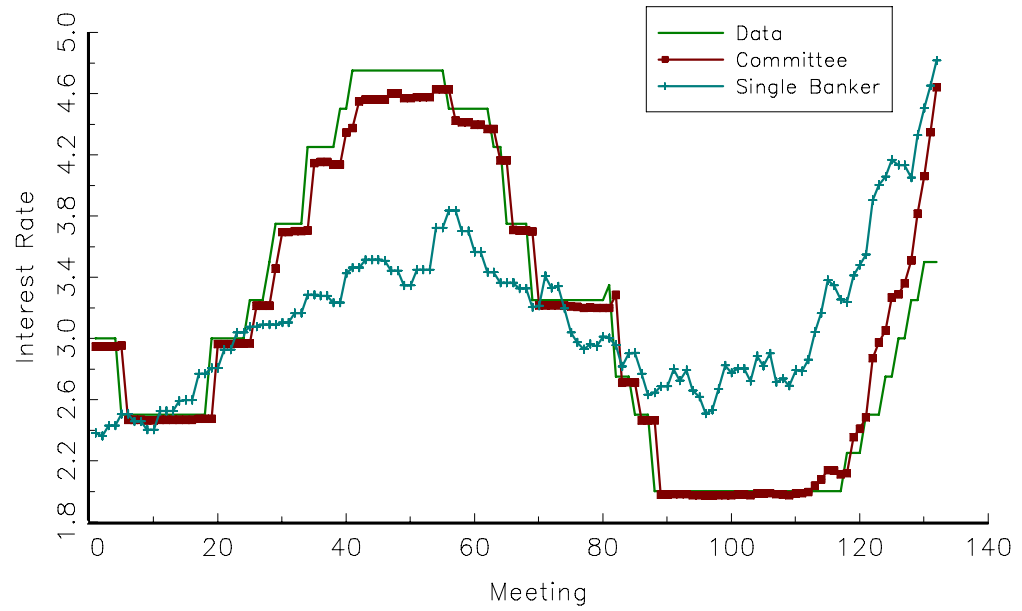
	Monetary Committee	Single Banker	Data
<i>A. Model Selection Criteria</i>			
AIC	447.30	592.35	
RMSE	0.745	1.538	
MAE	0.547	1.291	
<i>B. Quantitative Predictions</i>			
Autocorrelation	0.840	0.442	0.989
<i>Proportion of</i>			
Cuts	0.193	0.496	0.234
Increases	0.202	0.504	0.259
No changes	0.605	0	0.506

Model Fit

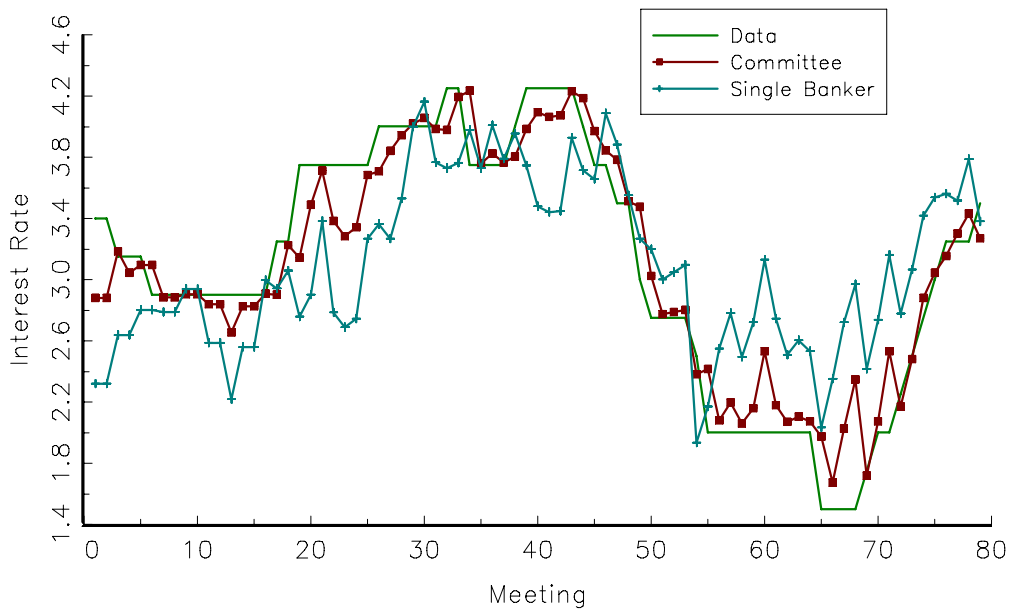
Bank of England



ECB



Riksbank



U.S. Fed

