

Multi-Dimensional Monetary Policy

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Monetary Policy Before the Crisis

- Common to view monetary policy as **uni-dimensional**:
 - a single policy decision (operating target for an **overnight interest rate**)
 - other aspects of policy (e.g., supply of reserves, interest rates paid on CB balances or at which CB lends) simply details of implementation

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 - a single policy decision (operating target for an **overnight interest rate**)
 - other aspects of policy (e.g., supply of reserves, interest rates paid on CB balances or at which CB lends) simply details of implementation
 - with a single end in view: control of **nominal aggregate demand** (key to both price stability and more stable economic activity)

New Dimensions of Policy

- **New tools** of policy: much greater emphasis on **balance-sheet policy**
 - balance sheet size much larger than required simply to implement interest-rate policy, manage payments system
 - new tools for policy implementation (IOER, RRP facility at Fed) allow decoupling of balance-sheet size from interest-rate target

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- **New goals** as well: increased attention to possible consequences of monetary policy for **financial stability**

How Many Dimensions of Policy, Really?

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How Many Dimensions of Policy, Really?

- 1 Is QE just an alternative way of achieving the same thing as **cutting short-term interest rates**
— all that matters is effect on bond yields?
- 2 Does an increase in CB liabilities stimulate AD by **relaxing constraint on short-term debt issuance** by banks
— so equivalent to relaxing reserve requirements, or other macro-prudential policy?

Goals

- Wish to develop a model that allows the separate roles of these dimensions of policy to be compared

Goals

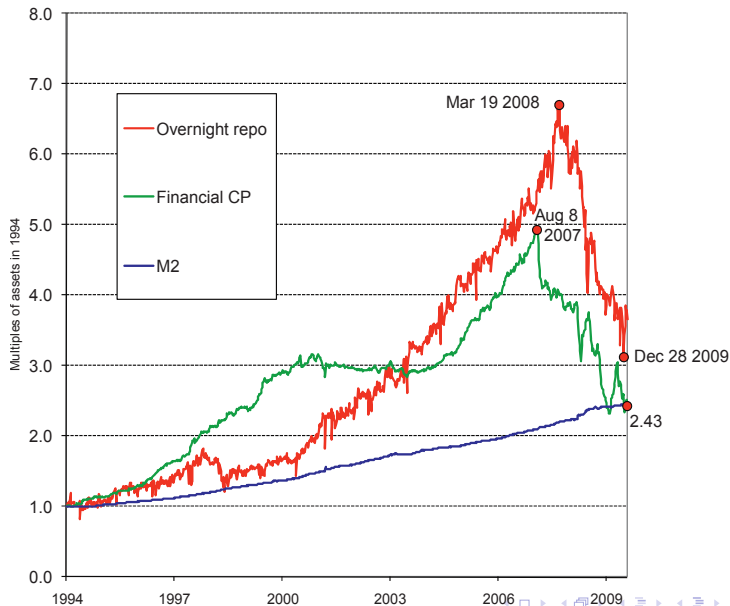
- Wish to develop a model that allows the separate roles of these dimensions of policy to be compared
- Model needs to include:
 - real effects of monetary policy
 - endogenous term premia
 - endogenous degree of financial fragility
 - conventional interest-rate policy, CB balance sheet, and restrictions on short-term debt finance by banks as alternative policy levers, the effects of which can be compared

Modeling Approach

- Financial fragility: results from excessive reliance on **collateralized short-term debt** in capital structure of banks
 - recent crisis followed particular growth in importance of
 - overnight repo financing (investment banks)
 - asset-backed CP (SIVs)

Short-Term Liabilities

(Adrian and Shin, 2010)



Modeling Approach

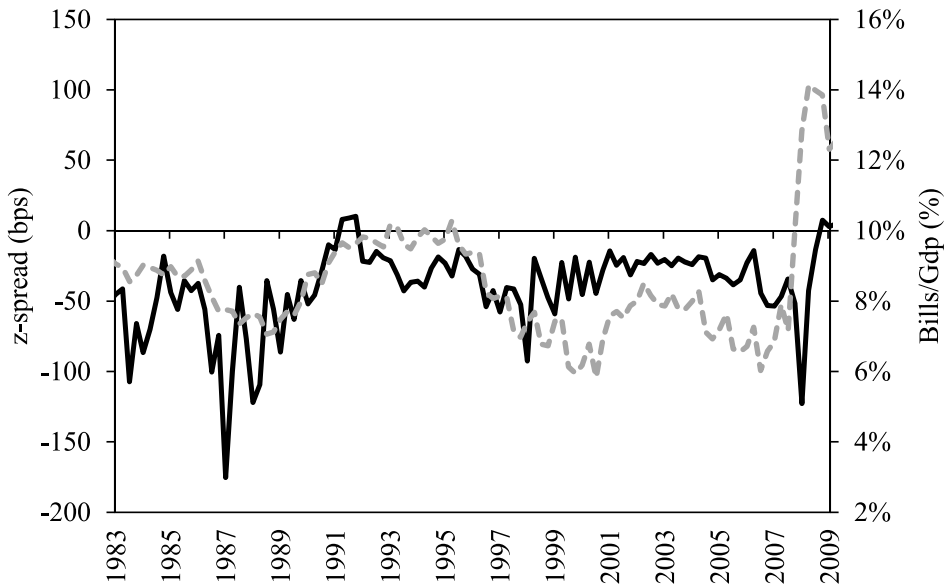
- Financial fragility: results from excessive reliance on **collateralized short-term debt** in capital structure of banks
 - recent crisis followed particular growth in importance of
 - overnight repo financing (investment banks)
 - asset-backed CP (SIVs)
- This is dangerous, because it exposes banks to **funding risk**, which may require abrupt de-leveraging through a **“fire sale”** of assets

Modeling Approach

- Why fragile financial structures are tempting:
 - owing to shortage of alternative safe assets, investors will pay a premium for private liabilities with this feature (“**money premium**”) (Greenwood *et al.*, 2010; Krishnamurthy and Vissing-Jorgensen, 2012)

T-Bills and Money Premium

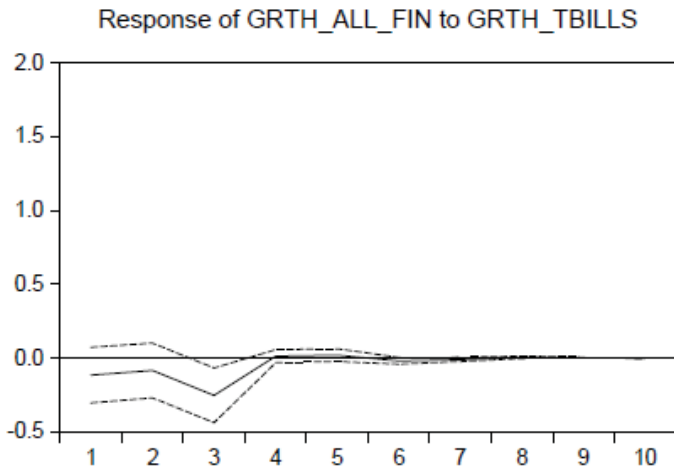
(Greenwood *et al.*, 2016)



Modeling Approach

- Why fragile financial structures are tempting:
 - owing to shortage of alternative safe assets, investors will pay a premium for private liabilities with this feature (**“money premium”**) (Greenwood *et al.*, 2010; Krishnamurthy and Vissing-Jorgensen, 2012)
- But this means that **public supply** of safe assets should be an important determinant of the strength of such incentives
 - evidence: increased supply of T-bills reduces private issuance of CP (Carlson *et al.*, 2014)

Effect of Increased T-Bill Supply (Carlson *et al.*, 2014)



Modeling Approach

- **Funding risk** and possibility of “fire sale” of assets modeled as in Stein (2012)
 - but embedded in an intertemporal monetary equilibrium model, in order to consider interaction with monetary policy

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- **Funding risk** and possibility of “fire sale” of assets modeled as in Stein (2012)
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- **Demand for safe assets** modeled using a “cash-in-advance” structure as in Lucas and Stokey (1987)
 - but here interpret the “cash” that can be used to satisfy CIA constraint as interest-earning short-term safe instruments such as T-bills, CB liabilities (reserves, reverse repos), or asset-backed CP

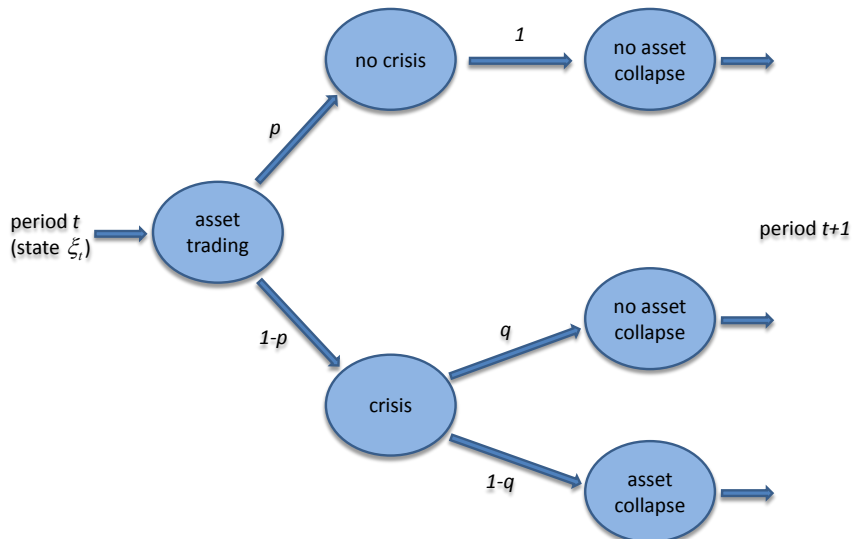
Elements of the Model: Agents

- Infinite-lived representative household can be thought of as made up of several “members” with separate budgets within the period, though all funds pooled at end of each period:
 - “worker”: supplies inputs used to produce all final goods; receives income available to household at end of period
 - “shopper”: buys “regular” final goods [both “cash goods” and “credit goods”]; cash must be set aside earlier

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 - “shopper”: buys “regular” final goods [both “cash goods” and “credit goods”]; cash must be set aside earlier
 - “investor”: buys “special” final goods, using line of credit set up earlier in period; can also bid for risky durables in “fire sale”
 - “banker”: buys risky durables, financed from equity investment by household and issuance of short-term debt

Resolution of Within-Period Uncertainty



Elements of the Model: Preferences

Preferences of the representative household:

$$E_t \sum_{\tau=t}^{\infty} \beta^{\tau-t} [u(c_{1\tau}, c_{2\tau}) + \tilde{u}(c_{3\tau}) + \gamma \underline{s}_{\tau} - v(Y_{\tau}) - w(x_{\tau})]$$

where

c_{1t} = consumption of “cash goods”

c_{2t} = consumption of “credit goods”

c_{3t} = consumption of “special goods”

\underline{s}_t = services from [intact] old durables

Y_t = supply of “normal goods”

x_t = supply of “special goods”

Elements of the Model: Demand for Liquidity

- purchases of “cash goods” subject to a “cash-in-advance constraint” (as in Lucas-Stokey, 1987)

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- cash includes riskless nominal liabilities of the government (Treasury bills)
- can also be short-term debt issued by bankers, if **collateralized** to ensure completely riskless
 - but to be acceptable as cash, holders of debt must have right to **force liquidation** of the collateral, if necessary in order to ensure that banker can pay them in full

Elements of the Model: Banks

- A banker can purchase shares s_t of the risky asset, subject to budget constraint

$$Q_t s_t \leq \text{equity}_t + D_t$$

where $Q_t =$ price of asset in initial period- t market,
 $D_t =$ issuance of short-term debt

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- More generally: may suppose that only **fraction** $0 \leq \tilde{\zeta} \leq 1$ of the funds raised by issuing collateralized debt can be used to purchase risky asset
 - allows an instrument of **macro-prudential policy**
 - could be implemented by a **reserve requirement**, if reserves satisfying the requirement earn a **below-market** rate

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- Short-term debt can be marketed as riskless only if

$$D_t \leq \Gamma_t s_t,$$

where Γ_t = price of asset in event of **fire sale**

Elements of the Model: “Fire Sale” Distortions

- If crisis state occurs, banker must offer s_t^{*s} units of the durable for sale, sufficient to allow redemption of short-term debt:

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- Each investor bids for s_t^{*d} units of the durables in the fire sale
- Investor’s purchases of “special” goods must then satisfy

$$\tilde{P}_t c_{3t} + \eta_t \Gamma_t s_t^{*d} \leq F_t$$

where \tilde{P}_t is price of special goods, η_t is **crisis indicator**, and credit limit F_t has been **pre-determined** in real terms

Elements of the Model: Supply of Durables

- Investment demand at end of period: household purchases I_t units of **investment goods** on credit, produces $F(I_t)$ units of **new risky durables**, which yield services in period $t + 1$
 - durables produced in period $t - 1$ depreciate completely at end of period t

Equilibrium

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 - markets clear:

$$M_t = \tilde{M}_t + D_t$$

$$s_t = F(I_{t-1})$$

$$s_t^{*d} = s_t^{*s}$$

$$c_{1t} + c_{2t} + I_t = Y_t$$

$$c_{3t} = x_t$$

$\tilde{M}_t =$ **outside** supply of safe instruments: T-bills in hands of public + safe liabilities of CB

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[each of the above variables is set in subperiod 2 of period t]

Two Versions of the Model

- **Flexible-price model:** voluntary supply of “normal goods” by price-taking households, P_t (along with other prices) endogenously determined so as to ensure that

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 - price P_t fixed at level that is **expected** to clear market as of end of period $t - 1$, but may not ex post
 - other prices all determined in competitive spot markets

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 - Assume (for now) $\zeta_{t+1} = 1$ each period [no macropru policy]
- Stationary values of **real** variables are independent of Π
- One-parameter family of stationary equilibria indexed by \tilde{m}

Stationary Equilibrium

- Greater scarcity of safe assets (lower \tilde{m}) implies
 - lower real return R^m/Π on cash
 - larger “**money premium**”
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 - increased share of durables in normal goods supply

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 - greater **under-valuation** of durables in “fire sale”
 - greater under-production of special goods in crisis state

Lessons

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- Larger balance sheet **reduces long-run distortions** in each of 3 respects:
 - less under-production of cash goods (as share of nondurable normal goods)
 - less over-production of durables
 - less under-production of special goods in crisis state, less over-production in non-crisis state

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- Effects of tightening macro-pru policy (e.g., increasing reserve requirement) NOT equivalent to shrinking monetary liabilities of CB
 - in some ways, more similar to effects of **increasing** \tilde{m}

Macroprudential Policy in the Long Run

Effects of tightening macro-pru policy (for fixed \tilde{m}):

- In some ways, more similar to effects of **increasing** \tilde{m} :
 - reduced incentive for private issuance of safe instruments \Rightarrow smaller fire-sale distortions
 - less undervaluation of durables in fire sale, less overvaluation at time of production
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 - less undervaluation of durables in fire sale, less overvaluation at time of production
 - less distortion of production/consumption of special goods; less over-supply of durables
- But like a reduction of \tilde{m} in that supply of cash is reduced
 - increasing money premium, reducing steady-state R^m/Π
 - greater distortion of cash/credit composition of demand

Macroprudential Policy in the Long Run

- Hence for fixed \tilde{m} [below the satiation level], the optimal stationary value of $\tilde{\zeta}$ is an interior value
- Contrary to either of two familiar (extreme) proposals:
 - ① should tax “outside money” creation out of existence (Simons)
 - ② should eliminate taxation of outside money creation (Friedman)

Short-Term Policy Tradeoffs

- Simple case analyzed here: **one-time shock** (e.g., shock to aggregate demand) in some period t , with constant fundamentals thereafter
 - shock is completely **unexpected**: prior to subperiod 2 of period t (and when P_t is set), stationary eq'm (constant inflation rate Π , constant values $R^m, \tilde{m}, \tilde{\zeta}$) is expected to continue
 - after shock occurs, no further such shocks expected $\Rightarrow P_\tau$ still expected to clear market in all periods $\tau > t$

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 - after shock occurs, no further such shocks expected $\Rightarrow P_\tau$ still expected to clear market in all periods $\tau > t$
- Consider **only** effects of possible responses of $R_{t+1}^m, \tilde{m}_{t+1}, \tilde{\zeta}_{t+1}$ to shock in period t
 - policy thereafter in accordance with previous steady state

Short-Run Equilibrium

- Two key measures of **financial conditions**:
 - expected one-period **real return on longer-term bonds**:

$$1 + \bar{r}_{t+1}^b \equiv E_{t+1} \left[R_{t+1}^b \frac{P_t}{P_{t+1}} \right] = \frac{\lambda_t}{\beta \bar{\lambda}}$$

[the measure of financial conditions that is relevant for **aggregate demand** for non-durable normal goods]

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[the measure of financial conditions that is relevant for **aggregate demand** for non-durable normal goods]

- **“money premium”** earned by cash:

$$\frac{E_{t+1}[R_{t+1}^b]}{R_{t+1}^m} = \tilde{\varphi}_{1,t+1},$$

Lagrange multiplier assoc. to subperiod-1 budget constraint

[measure of financial conditions that determines incentive for **short-term debt issuance** by banks]

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- $c(\lambda)$ is demand for “normal” consumer goods [$c_{1t} + c_{2t}$]
 - decreasing function of λ_t
- $I(\lambda; \tilde{m})$ is investment demand consistent with Euler equation
 - decreasing function of λ_t
 - also decreasing function of \tilde{m}_t : less scarcity of liquidity reduces demand for collateral

Short-Run Equilibrium

Two relations to determine the money premium:

- ① Money premium depends on **supply of safe assets**, which is increasing in both outside supply \tilde{m}_{t+1} and supply by banks [dependent on available collateral]

$$\tilde{\varphi}_{1,t+1} = \hat{\varphi}_1(l_t, \tilde{m}_{t+1})$$

- decreasing in both \tilde{m}_{t+1} and l_t

[“LM curve” with endogenous money supply]

Short-Run Equilibrium

Two relations to determine the money premium:

- ② Money premium corresponds to spread between expected **return on investment** [decreasing function of I_t] and **return on cash**

$$\tilde{\varphi}_{1,t+1} = \bar{\varphi}_1(I_t, R_{t+1}^m)$$

- decreasing in both R_{t+1}^m and I_t

[connection between money premium in “LM curve” and riskless rate]

Short-Run Equilibrium: Summary

Two relations between supply of durables and the money premium:

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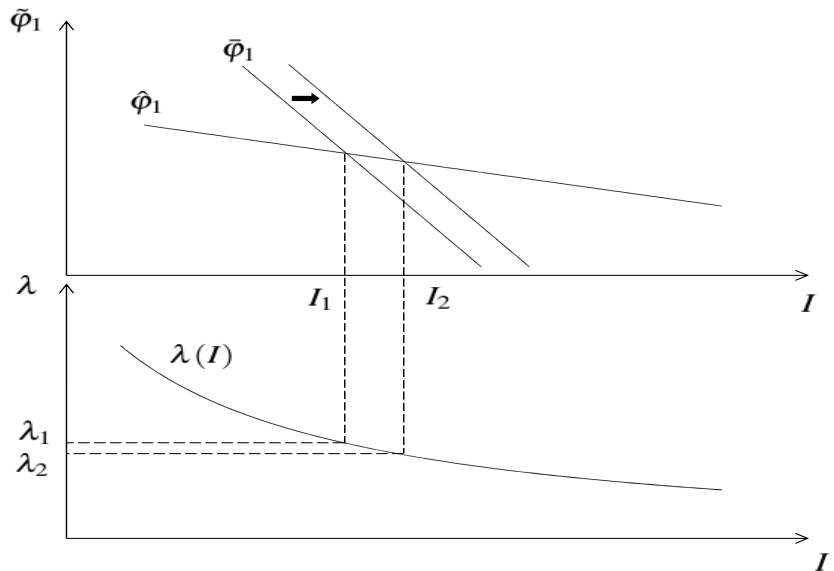
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- Solve these for $\varphi_{1,t+1}$, l_t for given R_{t+1}^m , \tilde{m}_{t+1}
- Then LT real rate λ_t and aggregate demand Y_t determined by

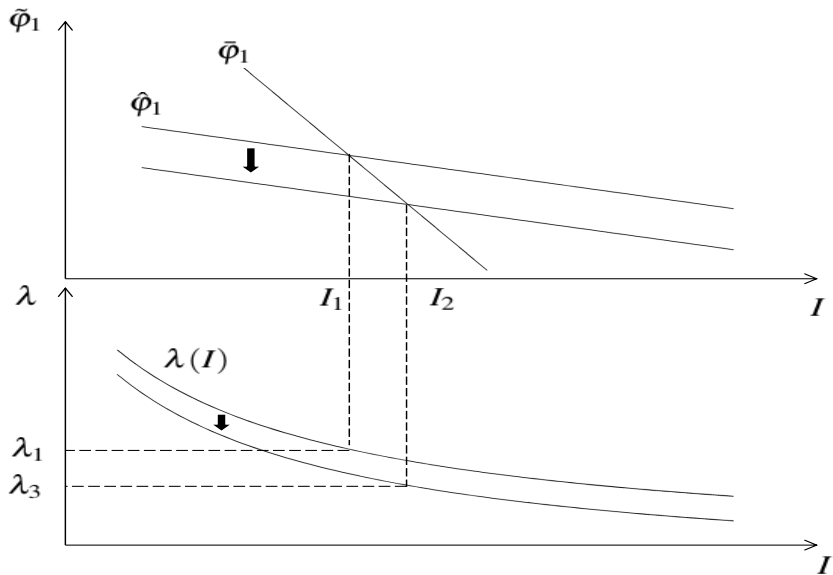
$$l_t = I(\lambda_t; \tilde{m}_{t+1})$$

$$Y_t = c(\lambda_t) + l_t$$

Effects of Interest-Rate Policy



Effects of Quantitative Easing



Comparing Alternative Policy Tools

- QE vs interest-rate policy: for policies that increase I_t by same amount, QE **lowers LT real rate more**
 - ⇒ smaller fraction of AD increase is financed by safe debt issuance
 - ⇒ less increase in risk to financial stability

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 - but the $\lambda - I$ schedule **shifts up** [a given value of λ_t associated with greater investment demand]
 - so that in this case an **even larger** fraction of AD increase is financed by safe debt issuance, than in the case of an interest-rate cut

Alternative Monetary Policy Responses: Summary

- All three policies
 - reducing R_{t+1}^m
 - increasing \tilde{m}_{t+1}
 - increasing $\tilde{\zeta}_{t+1}$

are ways to **increase aggregate demand** in short run:

- relax financial conditions (lower $\lambda_t \Leftrightarrow$ lower \bar{r}_{t+1}^b)
- increase demand for credit goods
- increase investment demand

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- relax financial conditions (lower $\lambda_t \Leftrightarrow$ lower \bar{r}_{t+1}^b)
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- But all also increase **risks to financial stability**:
 - increase short-term debt issuance by banks
 - increase Q_{t+1} , lower Γ_{t+1}
 - increase suboptimality of special goods consumption

Alternative Monetary Policy Responses: Summary

- However, they can be **ordered**: for a given size increase in aggregate demand Y_t ,
 - among the 3 policies, QE (increasing \tilde{m}_{t+1}) increases demand for durables and short-term debt issuance by banks **the least**,
 - interest-rate policy (reducing R_{t+1}^m) does so to an intermediate extent, and
 - relaxation of macroprudential policy (raising $\tilde{\zeta}_{t+1}$) increases demand for durables and risks to financial stability **the most**

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- Hence QE may be useful, even when interest-rate policy not **constrained by ZLB**
 - may be useful to act on **multiple** dimensions, to better achieve **multiple goals** simultaneously

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- Hence QE may be useful, even when interest-rate policy not **constrained by ZLB**
 - may be useful to act on **multiple** dimensions, to better achieve **multiple goals** simultaneously
- Large CB supply of safe liabilities desirable in steady state [**in absence of other costs**], to minimize risk to financial stability
 - then allowing interest-rate policy to be used purely for traditional stabilization objectives

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 - political economy problems if CB balance-sheet risk too great
- Can still ask how to optimally use balance-sheet policy in this second-best case
- Should assign a shadow **cost of increasing balance sheet** [not a simple cap on feasible size]
 - then optimal balance-sheet size will vary depending on the urgency of stabilization objectives
 - active use of balance-sheet policy appropriate

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 - but **not** if the two dimensions of policy are interest-rate policy and balance sheet

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- But if instruments are R^m and \tilde{m} :
 - the unique policy mix that achieves it is instead to **expand balance sheet** while **raising riskless interest rate** enough to offset effect on private issuance of STSIs

How to Use Multiple Dimensions?

- A similar conclusion if the goal of policy is to **reduce risk to financial stability** [by reducing investment financed by private money issuance], but **without contracting AD**:
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- The policy US needed in the mid-2000s?

Lessons

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- To the extent that there remains a “money premium” associated with STSIs [which can still be true when at the ZLB!], QE can be an effective tool for increasing aggregate demand
 - **Not equivalent** to interest-rate policy in its effects: hence a potential role in stabilization policy even when not at the ZLB
 - Ideal use of balance-sheet policy is furthermore not simply to amplify whatever one is also trying to achieve through interest-rate policy
- under some circumstances, should adjust the two instruments in **opposite** directions, to simultaneously achieve goals for aggregate demand management, control of financial cycle