

# A Theory of Leaning Against the Wind

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# Introduction

- Long debate as to what to do in face of rapid run-up in asset prices
  - Bernanke and Gertler (1999) – wait and clean up (stimulate) if price falls
  - Borio and Lowe (2002) – asset price booms + debt usually end badly
    - Argue policymakers should lean against the wind (raise rates in asset booms)
  - Many have taken last crisis as further evidence that waiting is bad
  - Svensson (2014, 2017) argues raising rates can be counterproductive
- We explore these issues through lens of a GE risk-shifting model

# Overview

- Key feature of risk-shifting – creditors unsure about their risk exposure
  - Common to new technologies or assets valued idiosyncratically (housing)
- We show risk-shifting can give rise to Borio-Lowe episodes
  - Asset bubbles financed with debt, eventually collapse and lead to default
- Model suggests scope for intervention (misallocation + excess leverage)
- Raising rates exacerbates first distortion but mitigates second
- Promise to raise rates if bubble lasts mitigates both (targets speculators)

# Setup

- OLG setup with two-period lived agents and single consumption good
- Agents only care about consumption when old:  $u(c_t, c_{t+1}) = c_{t+1}$ 
  - ① At  $t = 0$ , old endowed with 1 unit of asset that pays  $d$  each period
    - We will eventually allow dividend to be stochastic
  - ② At each  $t \geq 0$ , cohort consists of two types:
    - Savers – unproductive but endowed w/ $e$  goods when young  $\Rightarrow$  need to save
    - Entrepreneurs – productive but born with no endowment
      - Each can convert up to 1 unit at  $t$  into  $1 + y$  units in  $t + 1$
      - $N(y) \equiv$  mass of entrepreneurs w/productivity  $\leq y$ , range of  $y$  is  $[0, \infty)$
- Young savers use  $e$  to buy assets from old and fund young entrepreneurs

# Frictions

Trade between savers and entrepreneurs subject to following frictions:

- Trade via debt contracts, pay  $1 + R_t$  for each unit borrowed
- Savers can't observe  $y$  or whether borrowers buy assets or produce
- If borrower defaults, lenders incur cost  $\phi$  per unit lent

# Warmup: Equilibrium with Riskless Asset

- Eqbm is path for asset price + loan rate  $\{p_t, R_t\}_{t=0}^{\infty}$  that clears markets
  - Young savers allocate  $e$  between assets and lending
  - Young entrepreneurs choose to borrow to produce and/or to buy assets
  - Old sell any assets they own and collect on or repay loans
- With dividend constant, no default
  - Savers indifferent between lending and buying asset, i.e.  $1 + R_t = \frac{d+p_{t+1}}{p_t}$
  - Only sufficiently productive entrepreneurs (with  $y \geq R_t$ ) produce
  - Market clearing each period:  $p_t + \int_{R_t}^{\infty} dN(y) = e$
  - Combining equations reveals unique eqbm has  $(p_t, R_t) = (p, R) \forall t$
- Equilibrium price  $p$  uniquely solves  $p + \int_{d/p}^{\infty} dN(y) = e$ , no bubble

# Monetary Policy

- How can we think about monetary policy in this setup?
  - Follow Galí (2014): income  $e$  emerges from production with sticky prices
  - Prices sticky for one period, so policy only affects current real variables
  - Assets trade after production, so prices as in analog endowment economy
- $1 + R_0 = \frac{d+p_1}{p_0}$ ; Since  $i_0$  can't affect  $d$  or  $p_1$ , must lower  $p_0$  to raise real rate
- Works by discouraging labor (via lower real wage)  $\Rightarrow$  lower  $e_0$
- Raising real rates  $\approx$  reducing endowment (same effect as a tax)

# Risky Asset

- Now suppose dividend follows regime switching process:

$d_t = D$  w/prob  $\pi$  dividend  $d_t$  permanently switches to  $d$  where  $0 < d < D$

- Denote equilibrium by  $(p_t^D, R_t^D)$  if  $d_t = D$  and  $(p_t^d, R_t^d)$  if  $d_t = d$

- Need  $1 + R_t^D \geq \frac{D + p_{t+1}^D}{p_t^D}$  or infinite borrowing from low  $y$  agents

- Need  $1 + R_t^D \leq \frac{D + p_{t+1}^D}{p_t^D}$  or else no demand for asset  $\Rightarrow 1 + R_t^D = \frac{D + p_{t+1}^D}{p_t^D}$

- Market clearing same as before:  $p_t^D + \int_{R_t^D}^{\infty} dN(y) = e$

- Key Result:** Equilibrium  $(p_t^D, R_t^D)$  same as if  $d_{t+1} = D$  forever



# Credit Booms and Bubbles

- **Bubble:** asset price can exceed fundamentals while  $d_{t+1} = D$ 
  - $1 + R^D = \frac{D + p_t^D}{p_t^D} > E \left[ \frac{d_{t+1} + p_{t+1}^D}{p_t^D} \right]$ ; for small  $\phi$ , also true for expected return
  - $p^D >$  PDV of dividends evaluated at expected return on lending
  - Intuitively, speculators who don't care about downside bid up asset price
- **Credit boom:** for small  $\phi$ , all assets bought w/debt while  $d_{t+1} = D$
- **High realized returns** on both lending and assets while  $d_{t+1} = D$ 
  - Expected returns, however, can be lower;  $R^D$  too low given risk
- **Eventual crash:** asset price falls from  $p^D$  to  $p^d$  when dividends fall
- **Ends badly:** fall in dividends leads to default and output losses ( $\phi p^D$ )

# Leaning Against the Wind

- Two reasons there may be scope for intervention during boom:
  - ① Bubble crowds out production (entrepreneurs misallocate resources)
    - Productivity of marginal entrepreneur is  $y = R^D > E \left[ \frac{d_{t+1} + p_{t+1}}{p_t} \right] - 1$
  - ② Excessive borrowing against risky assets
    - Borrowers don't care about costs  $\phi p^D$  they impose on lenders
- Can raising rates via monetary policy (LATW) improve welfare?
  - Reducing  $e_0$  lowers  $p_0^D$  and increases  $R_0^D$
  - Higher  $R_0^D$  further crowds out production  $\Rightarrow$  exacerbates distortion
  - Lower  $p_0^D$  dampens borrowing, lowers forgone output  $\phi p_0^D$  if bubble bursts

Welfare effect ambiguous, but leaning can raise welfare if  $\phi$  large

# Threats of Future Action

Threat to raise rates if bubble persists (reduce  $e_1$  if  $d_1 = D$ ) raises welfare

- Lowers  $p_1^D$  at date 1, which reduces  $1 + R_0^D = \frac{D+p_1^D}{p_0^D}$  at date 0
- Policy still lowers  $p_0^D$  and reduces forgone output  $\Phi p_0^D$  if bubble bursts
- Intuition: Serves to target speculation even without observing it

**Take away:** Risk-shifting useful framework for thinking about bubbles

- Reveals scope for intervention and connection to proposed remedies
- Evaluate when raising rates beneficial as well as other policies